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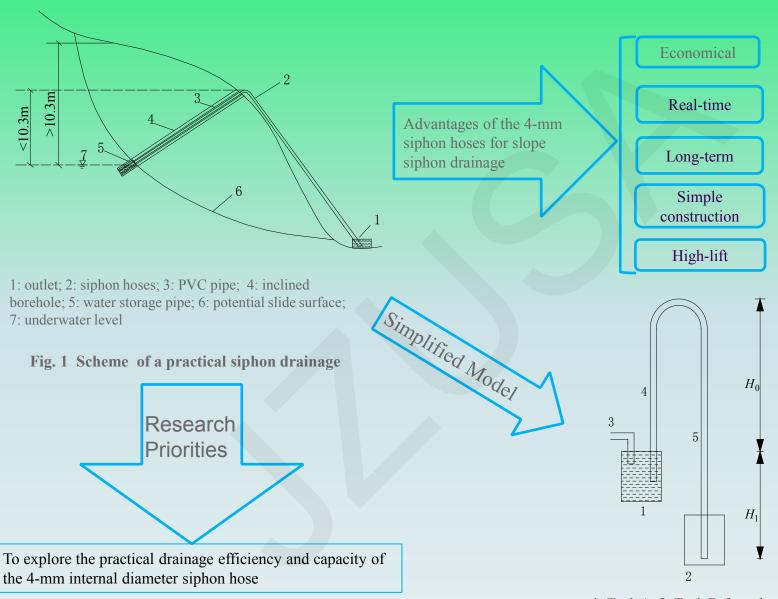
High-lift siphon flow velocity in a 4-mm siphon hose

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Key words: Siphon flow velocity, High-lift siphon, Elevation difference, Water lift, Gas effect

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Backgrounds and Test Model



1: Tank A; 2: Tank B; 3: replenished water pipe; 4: upper hose; 5: lower hose

Fig. 2 Schematic diagram of siphon drainage system

Test Data and Analysis

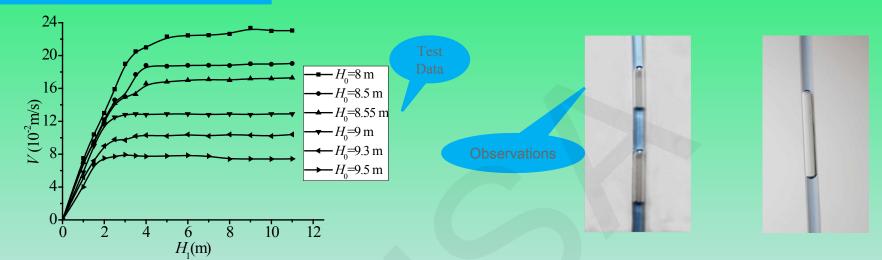
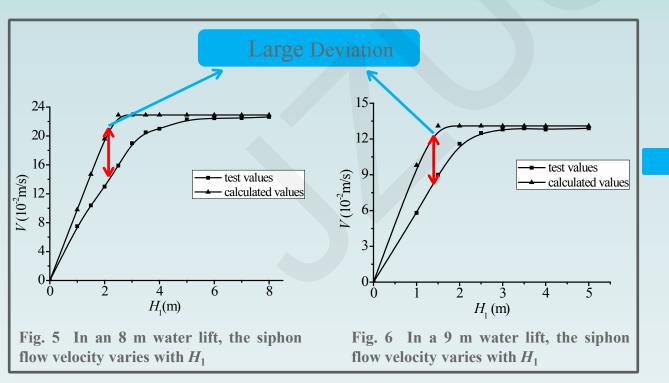


Fig. 4 Siphon flow velocity in a 50-m hose when the water lift is 8.0 m, 8.5 m, 8.55 m, 9.0 m, 9.3 m and 9.5 m, respectively.

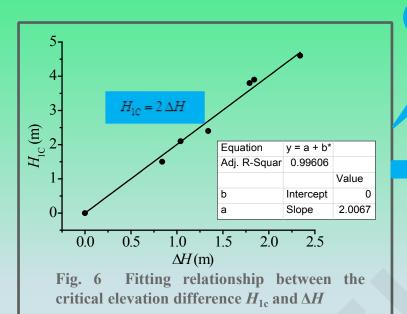
Fig. 3 Gas columns in an 8 m water lift (left) and a 9.5 m water lift (right)



$$V = \sqrt{\frac{2gH}{1 + \lambda \frac{L}{d} + \sum \zeta}}$$

Conventional hydraulics formula for the pressurized pipe flow could not really meet the precise calculation required of the highlift siphon flow velocity.

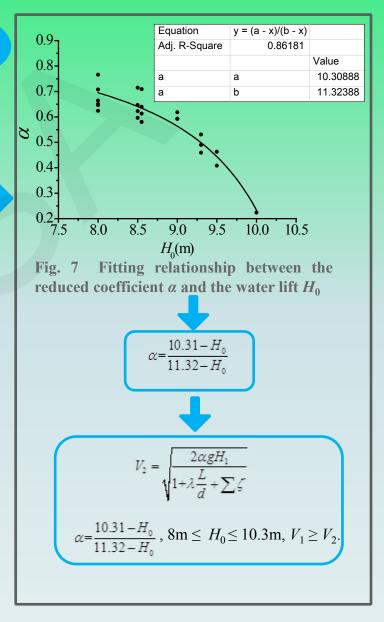
The hydraulics formula for high-lift siphon flow velocity in a 4-mm siphon hose



The controlling factor of the siphon flow velocity

 $H_1 < 2\Delta H$

Add a reduced coefficient α $V = \sqrt{\frac{2\alpha g H_1}{1 + \lambda \frac{L}{d} + \sum \zeta}}$



 $H_1 \ge 2 \Delta H$

$$V_{1} = \sqrt{\frac{2g\Delta H}{1 + \lambda \frac{L}{d} + \sum \zeta}}$$

$$\Delta H = H_{\text{max}} - H_0$$
, $8m \le H_0 \le 10.3m$.

Conclusions

- (1) When the elevation difference H_1 remained unchanged, the siphon flow velocity had a negative correlation with the water lift, but when the water lift H_0 was constant, the siphon flow rate accelerated with the increasing elevation difference H_1 until it reached the maximum flow rate and maintained a steady state. The stable flow rate was defined as the critical flow rate, at which the elevation difference H_1 was the critical elevation difference H_{1c} . The siphon flow velocity had a negative correlation with the length of the siphon hose.
- (2) In high-lift siphon drainage, the bubbles increased with the decreasing gas pressure and formed a gas-liquid twophase flow, affecting the calculation of the siphon flow rate. As a result, the current hydraulics formula for pressurized pipe flow proved to be an inappropriate way of measuring the siphon flow velocity in a 4-mm siphon hose.
- (3) The high-lift siphon flow velocity in a 4-mm siphon hose under standard atmospheric pressure was controlled by the hose section with the smallest hydraulic gradient. When $H_1 < 2 \Delta H$, the elevation difference H_1 was the controlling factor for the siphon flow rate. When $H_1 \ge 2\Delta H$, the difference between the maximum limit of the local siphon water lift H_{max} and H_0 was the most important factor. In an engineering setting, it is thus unnecessary to increase the siphon elevation difference blindly; this should approach the critical elevation difference and act as a convenient way of designing a practical siphon.
- (4) A direct test is available for related data with respect to high-lift siphon flow velocity in a 4-mm siphon hose. The empirical formula is also a fairly precise way of accessing the siphon flow rate. The calculated values for the siphon flow rate can provide a basis for operational parameters, e.g. the number of siphon hoses and the layout of siphon drainage holes in practical engineering.